Partition of graphs and tournaments into cycles

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Some results on 2-factors or partition of graphs and tournaments into cycles will be presented.

Bollobs asked the following question: if k is a positive integer, what is the least integer g(k) so that all but a finite number of g(k)-connected tournaments contains k vertex-jisjoint cycles that span V(T)? Chen, Gould and Li proved that if n?8k, every k-connected tournament T of order n contains k vertex disjoint cycles that span V(T).

Bialostochi, Finkel and Gyrfs conjectured that if r and s are nonnegative integers and G is a graph with —V(G)—? 3r+4s and minimum degree at least 2r+3s, then G contains a collection of r cycles and s chorded cycles, all vertex disjoint. Balister, Li and Schelp showed that if G is a graph on at least 3r+4s vertices with minimum degree at least 2r+3s, then G contains r+s vertex disjoint cycles, where each of s of these cycles either contain two chords, or are of order 4 and contain one chord.